



# Investigation into the resistive response of wireless knitted textile pressure sensors

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## Background

- Knitting is the process of creating and joining multiple loops of yarn to produce a textile.
- Footfalls and Heartbeats (UK) Ltd have found a way of incorporating conductive fibres with conventional yarns.
- These yarns can be used to create wireless, knitted textile pressure sensors which can be integrated into any kind of knitted fabric.
- These sensors act as large variable resistors, where resistance decreases with an increase in applied pressure.
- This technology is being used to develop socks which may act as an early detection system for diabetic ulcers.

## Project Inspiration and Aim

- During prolonged use, the relationship between applied pressure and sensor resistance may not remain constant.
- The aim of this project is to carry out a series of tests which would allow for the development of machine learning algorithms to accurately determine applied pressure over these periods of use.

## Testing

Two separate types of tests were designed and carried out: **Sensitivity**



Figure 1 – Example of a load against sample graph from a sensitivity test

This test was to determine the sensitivity of a sensors resistance after prolonged and changing pressure:

- 18N was applied and then released for 6 cycles.
- The applied pressure was set to either 3, 5, 7, 9 or 11kpa for the remainder of the test.
- The logged resistance and force readings were then compared.

### Repeatability

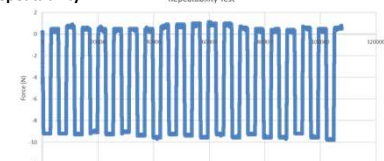


Figure 2 – Example of a load against sample graph from a repeatability test

This test was to determine the consistency of sensor resistance when the same pressure is applied in cycles:

- 3, 5, 7, 9 or 11kpa was applied to a sensor for a 50 second period.
- The pressure was then returned to 0kpa for 50 seconds.
- This process was repeated 18 times.
- The logged resistance and force readings were compared.

## Testing Issues

Multiple complications were discovered during the testing process:

- Occasional inaccurate resistance readings
- Sudden jumps/ spikes in resistance values
- High and inconsistent resistance noise
- Occasional Low accuracy of force application

## Resistance Modelling - The Motivation

Current development steps:

- Develop the yarn
- Knit the sensor
- Test the sensor

This process can be costly and time consuming. A model capable of accurately predicting the resistance of a sensor would reduce these factors.

## Resistance Modelling

This process would be made simpler if a mathematical model was produced which could predict resistance.

Resistance of a single jersey stitch segment can be modelled using the hexagonal resistance model.



Figure 3 – Single Jersey stitch and its equivalent hexagonal resistance model

There are two types of resistances:

- Contact resistance ( $R_{Cn}$ ) – Resistance between two contacting loops:

$$R_{Cn} = \frac{\rho}{2na}$$

Equation 1 – Contact resistance equation

- Length Resistance ( $R_{Ln}$ ) – Resistance of the yarn between contact points:

$$R_{Ln} = \frac{\rho L}{A}$$

Equation 2 – Length resistance of a yarn segment

The resistance network becomes very complicated when used on a large scale.

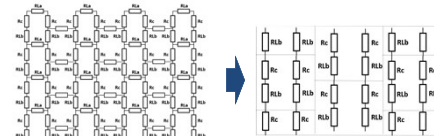


Figure 4 – Parallel equivalent resistance model for a hexagonal resistance network

When used in large networks, the parallel resistances are large enough to be ignored, leaving branches of series resistance.

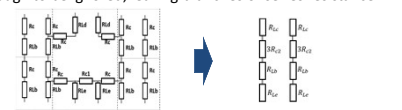


Figure 5 – Parallel equivalent resistance model for a miss stitch

Not all stitches are jersey stitches, leading to more complex resistance models. Equivalent models had to be found.

### Final Equation

- The model could be broken down into two stitch combinations allowing for a customisable knit structure.



Figure 6 – Segment 1, 2: Jersey-Miss-Jersey, Jersey-Tuck

- Using these two segments, an equation was derived which can approximate resistance of a resting pressure sensor.

$$R_T = 2 * ((n_1 R_{JM}) + m_1 R_{JT})^{-1} + ((n_2 R_{JM}) + m_2 R_{JT})^{-1} + \dots + ((n_n R_{JM}) + m_n R_{JT})^{-1}$$

Equation 3 – Total resistance calculation of a knitted textile sensor

- $R_{JM}$  is the resistance of one of n numbers of segment 1, and  $R_{JT}$  the resistance of one of m numbers of segment 2.
- The equation calculates the series resistance of each individual courses, then works out the corresponding parallel resistance.

### Testing

- No two sensors have exactly the same rest value. Early tests place results within a sensors resistance range.

## Testing Results

### Sensitivity

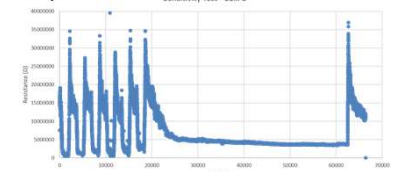


Figure 6 – Resistance response corresponding to Figure 1

- Sensitivity tests showed that the resistance response to a prolonged pressure was relatively linear.
- This test campaign proved successful, allowing for the development of a suitable machine learning algorithm.

### Repeatability

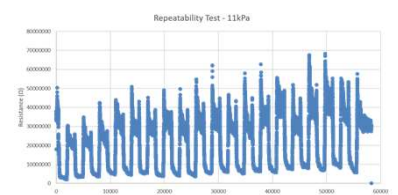


Figure 7 – Resistance response corresponding to Figure 2

- The repeatability tests provided ideal results for the 7kPa and 9kPa tests.
- For smaller pressures the resistance response decreased over the cycles, and for larger pressures it increased.

## Resistance Modelling - Future Expansion

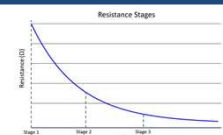


Figure 8 – Resistance against applied force with theoretical resistance stages

Stage 1: Sensor at rest

Stage 2:  $R_{Ln}$  variables reach their limit causing a constant value

$$R_{Ln} = k_1$$

Equation 4 – Length resistance following stage 1

Stage 3:  $R_{Cn}$  variables become a constant. Resistance change is now proportional only to force

$$R_{Cn} = \frac{k_2}{\sqrt{F}}$$

Equation 5 – Contact resistance following stage 3

By finding  $k_1$  and  $k_2$  for a given material, the resistance response of a sensor to force can be predicted.

## Summary

### Testing

- All encountered issues were either solved or successful work-arounds were implemented.
- The collected data was able to be used to train a machine learning algorithm to recognise data.

### Model

- The current model can predict resistance to a sufficient level and is being adopted by Footfalls and Heartbeats (UK) Ltd to influence size and material choices for future sensors.
- The steps required to expand this model to provide resistance response to changing pressures have been created and outlined.

